

# KO-MIX

## Interní seminář pracovníků KMD

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Srdečně zveme pracovníky KMD, KAP a další zájemce z řad veřejnosti na přednášku pořádanou v rámci odborného semináře *KO-MIX*

### **On a Sparse Representation of an n-dimensional Laplacian in Wavelet Coordinates**

**Přednáší:** **RNDr. Dana ČERNÁ, Ph.D. a RNDr. Václav FINĚK, Ph.D.**  
(KMD, FP TU v Liberci)

**Termín:** **Pondělí 25. května 2015, 14:20 hodin**

**Místo konání:** **Kabinet KMD a KAP**  
(Univerzitní nám. 1410/1, Liberec, budova G areálu TUL - 4. patro)

#### **Abstrakt přednášky:**

Important parts of adaptive wavelet methods are well-conditioned wavelet stiffness matrices and an efficient approximate multiplication of quasi-sparse stiffness matrices with vectors in wavelet coordinates. Therefore it is useful to develop a well-conditioned wavelet basis with respect to which both the mass and stiffness matrices are sparse in the sense that the number of nonzero elements in each column is bounded by a constant. Consequently, the stiffness matrix corresponding to the n-dimensional Laplacian in the tensor product wavelet basis is also sparse. Then a matrix-vector multiplication can be performed exactly with linear complexity. In this paper, we construct a wavelet basis based on Hermite cubic splines with respect to which both the mass matrix and the stiffness matrix corresponding to a one-dimensional Poisson equation are sparse. Moreover, a proposed basis is well-conditioned on low decomposition levels. Small condition numbers for low decomposition levels and a sparse structure of stiffness matrices are kept for any well-conditioned second order partial differential equations with constant coefficients; furthermore, they are independent of the space dimension.

Za organizátory semináře srdečně zve

RNDr. Václav Finěk, Ph.D.